

ADVANCED AUTOMATED ALGORITHM GENERATION SOFTWARE IN THE CONTROL OF A SOLAR POWER PLANT

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- Introduction
- Eicas Methodology
- Test Case Description
- Control Using EicasLab
- Simulation Results
- Conclusion

- Methodology developed along 20 years
- Notions:
 - Plant
 - Dynamic system
 - Model
- ACUREX (PSA)
 - Static gain and time constants dependent on operating point

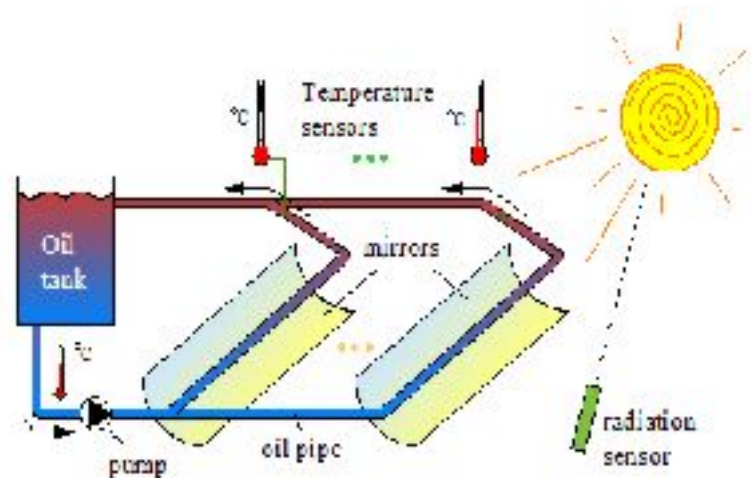
- Models only five approximate description: uncertainty!
- If uncertainty norm-bounded: $\|y - y_m\| < E\|y_m\| + D$
- As well as: $\|y_m - y_0\| < E_0\|y_m\| + D_0$
- **Theorem:** if state controller exists, and attenuates the effect of disturbance on y_0 then the same controller attenuates the closed-loop plant-model uncertainty effects, so that $e_o(t)$ satisfies:

$$\|e_o\| < Q^* (E_0\|y_d\| + D_o) \text{ being } Q^* < Q / (1 - E_0(1 + Q))$$

Plataforma Solar de Almeria (PSA): south of Spain



- *Characteristics:*
 - static gain and time constants directly dependent on the operating point
 - 480 distributed solar collectors, arranged in 10 loops along an east-west axis



- Oil is pumped from the bottom of a tank through the collectors, where it acquires solar energy.
- Manipulating the oil flow (pump) it is possible to control the output temperature of the oil.



- The collector has a reflective cylindrical parabolic surface, to concentrate the incident solar radiation on a pipe located on the surface focal line.
- Tracking system by which the mirrors can rotate parallel to the axis of the tube, in order to follow the sun in height throughout the day.
- Sensor at the input, measuring the temperature of the oil entering the active part.

- Distributed system
 - Transport effect
 - Modelled by hyperbolic equation

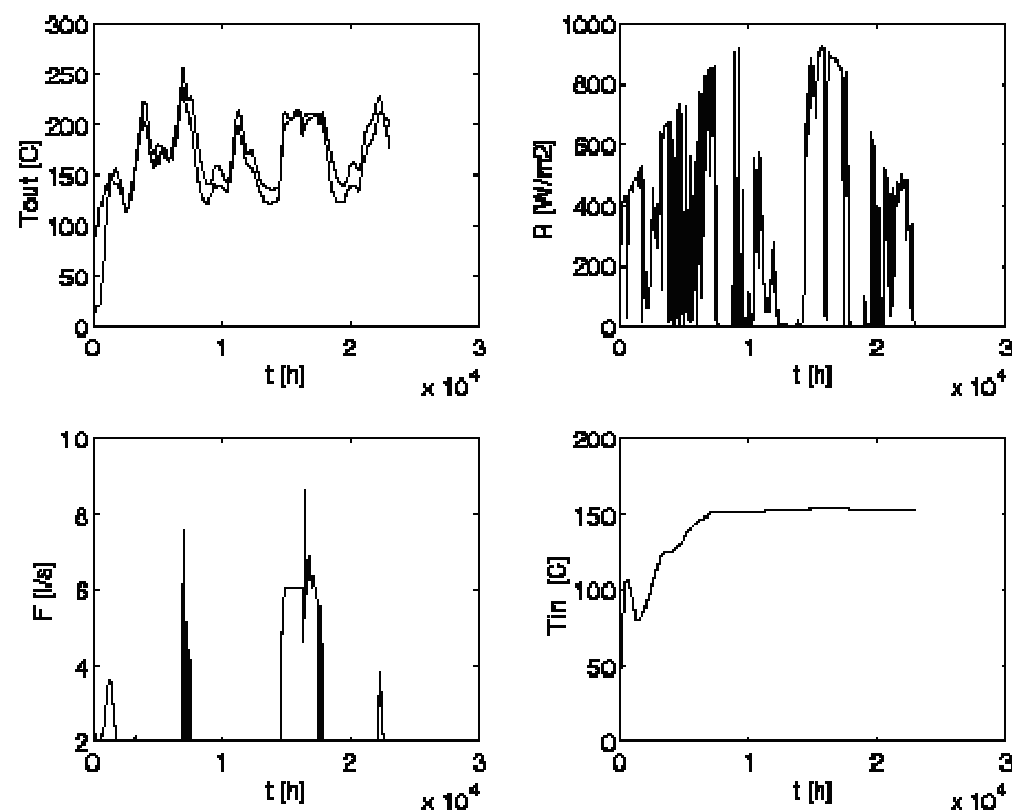
Hyperbolic equation:

$$\frac{\partial y(z,t)}{\partial t} + \frac{f(t)}{A} \frac{\partial y(z,t)}{\partial z} = \Gamma w(t)$$

- It is possible to establish a steady-state relation among input/output temperature gain, ΔT , the solar radiation W and the flow F

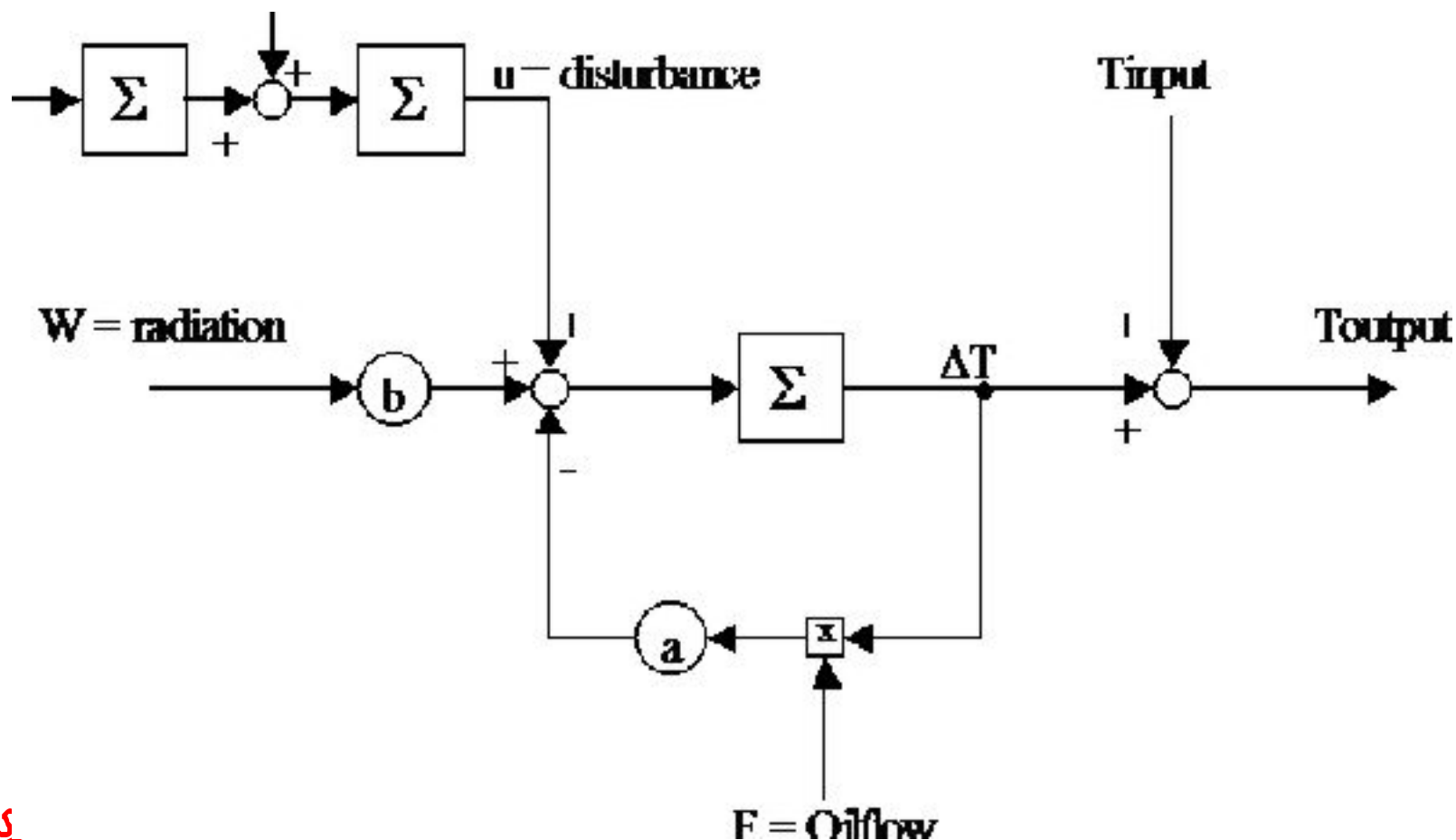
Steady-state:

$$\Delta T = (\Gamma \cdot V) \cdot \frac{W}{F}$$

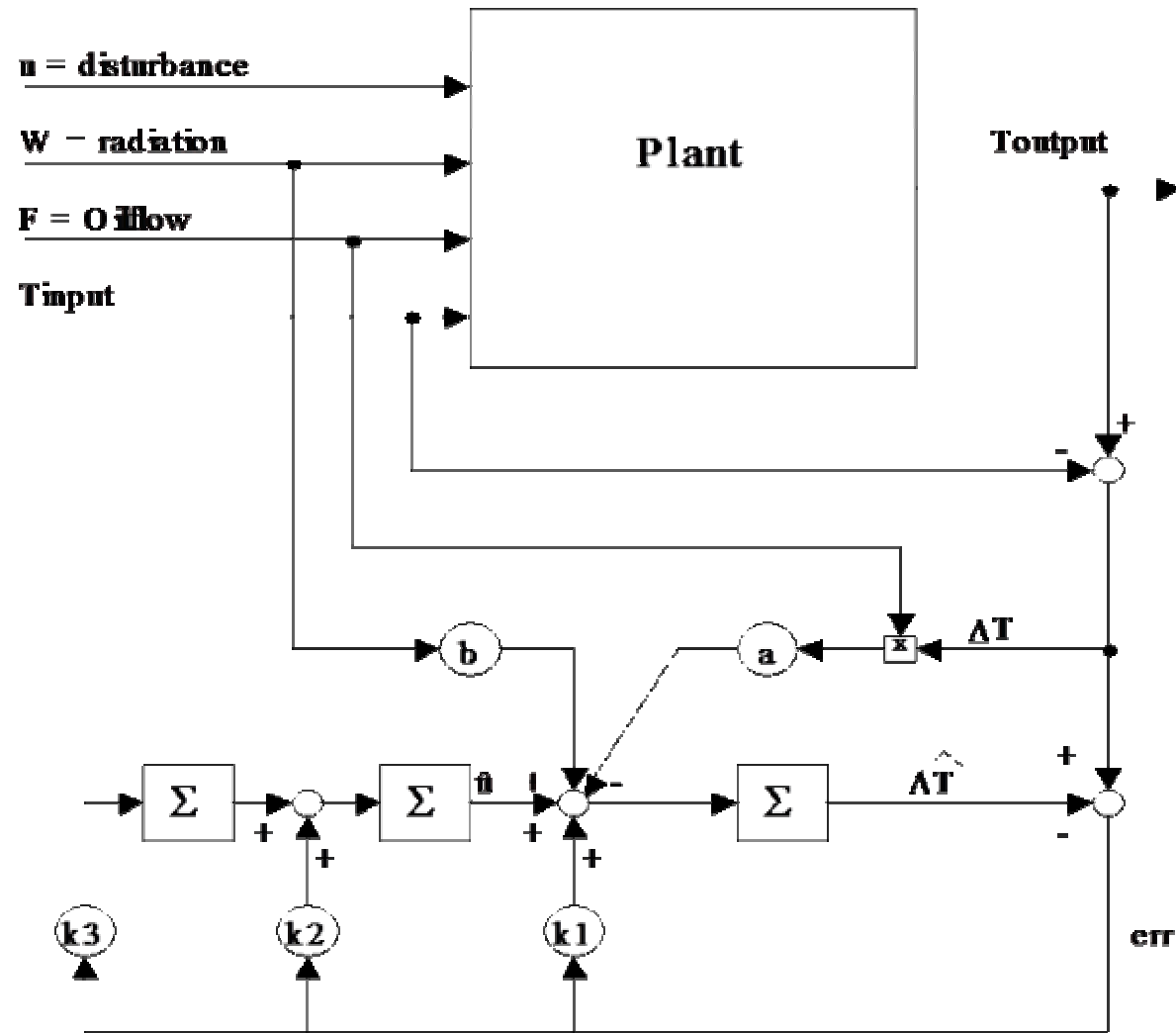


- Output Variables:
 - Average of the temperature at the output of each loop, T_{out} ;
- Manipulated variable:
 - Oil flow command to the pump controller;
- Accessible Disturbances:
 - Direct solar radiation, W ;
 - Temperature at the input of the field, T_{inp} ;
- Non-accessible Disturbances:
 - Loss of tracking of the solar collectors;
 - Difference between measured and incident solar radiation;
- Control goal:
 - follow a reference value together with a good disturbance rejection;

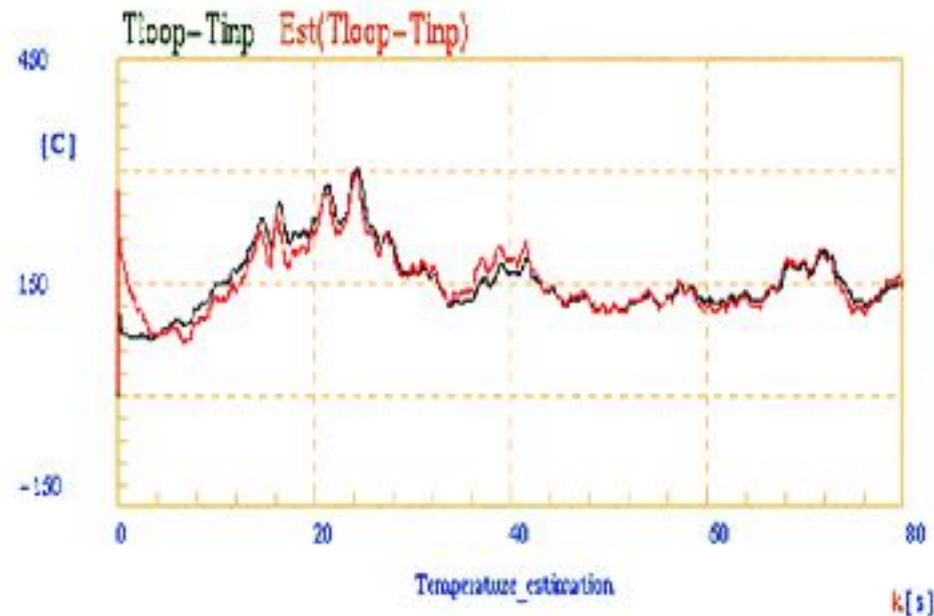
Simplified Model:
$$\frac{d\Delta T}{dt} = u + bW - a \cdot \Delta T \cdot F$$



Observer:



- The condition of almost linear plant has been verified!

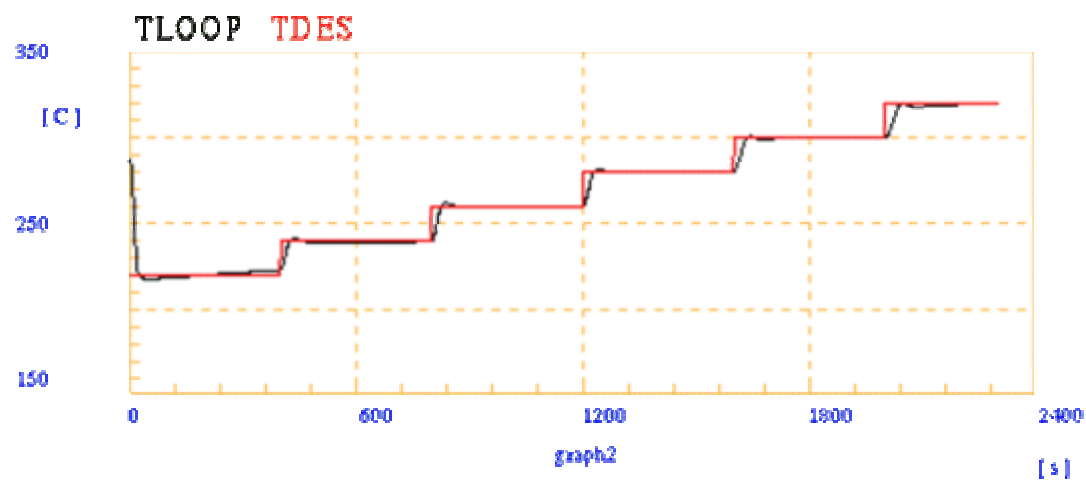
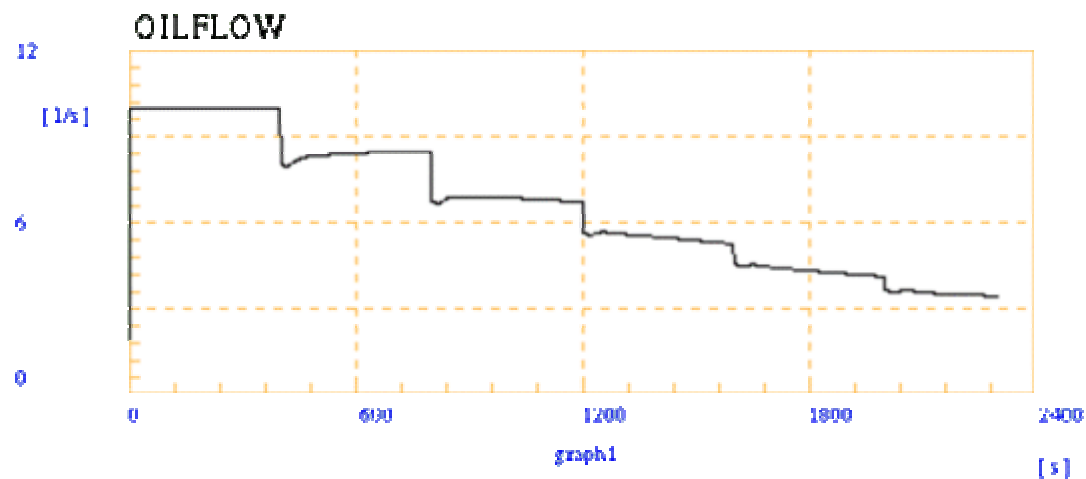


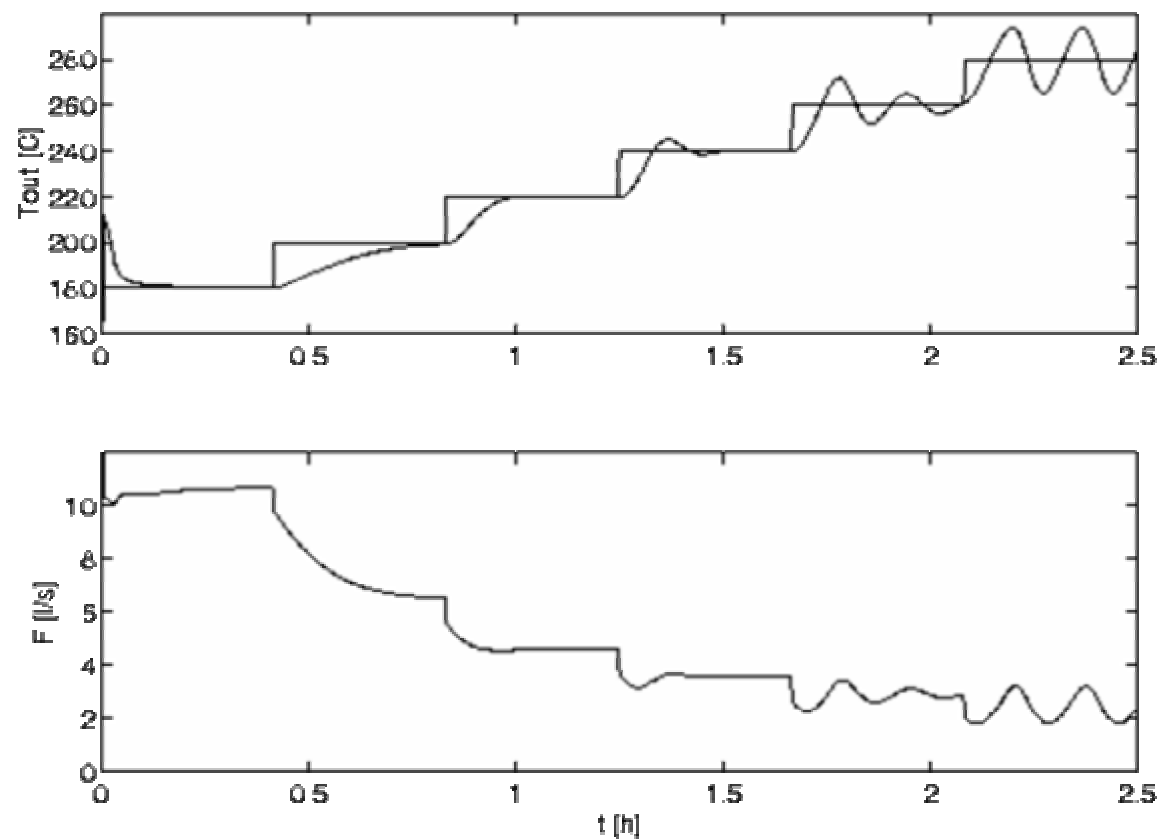
- Comparison between the output of the identified system during this simulation and the output of the system to identify

- Control contains:
 - Observer
 - Estimation of the disturbances to set flow, F

$$F = \frac{b \cdot W + \hat{d}}{a(T_{ref} - T_{inp})}$$

- *Where:*
 - a and b are the identified parameters
 - T_{ref} is the desired temperature
 - T_{inp} is the temperature of the oil at the beginning of the loop
 - W is the sun radiation





- An application of the Eicas methodology is here presented
- The control of a solar plant as been implemented through the use of EicasLab software tool
- Simulation results have been presented